

The impact of geometrical constraints on collisionless magnetic reconnection

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Purpose

- Determine the structure of the outflow current sheet depending on external constraints
- Determine current distribution between ions and electrons
- Determine acceleration mechanism to sustain current density



Basics: Momentum Input

$$\frac{\partial n_i \bar{v}_i}{\partial t} + \nabla \cdot (n_i \bar{v}_i \bar{v}_i) = \frac{en_i}{m_i} (\vec{E} + \bar{v}_i \times \vec{B}) - \frac{1}{m_i} \nabla \cdot \vec{P}_i$$

$$\frac{\partial n \bar{v}_i}{\partial t} + \frac{m_e}{m_i} \frac{\partial n \bar{v}_e}{\partial t} = \frac{1}{m_i} \nabla \cdot \left[\frac{\vec{B}\vec{B}}{\mu_o} - m_i n \bar{v}_i \bar{v}_i - m_e n \bar{v}_e \bar{v}_e - \left(\vec{P}_i + \vec{P}_e + \frac{B^2}{2\mu_o} \vec{1} \right) \right]$$

$$\frac{d}{dt} \int_V dV \left(n \bar{v}_i + \frac{m_e}{m_i} n \bar{v}_e \right) =$$

$$\vec{M} = \frac{1}{m_i} \oint_{\partial V} dS \left[\frac{\vec{B}\vec{B}_n}{\mu_o} - m_i n \bar{v}_i v_{in} - m_e n \bar{v}_e v_{en} - \left(\vec{P}_i + \vec{P}_e + \frac{B^2}{2\mu_o} \vec{1} \right) \cdot \vec{e}_n \right]$$



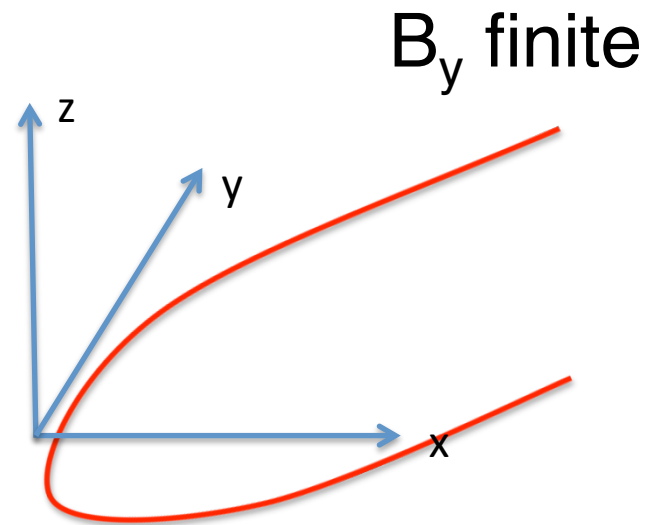
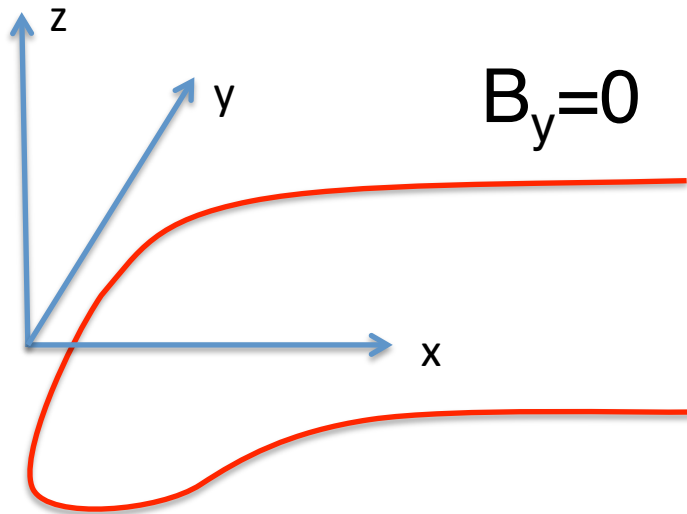
Basics: Momentum Input

$$\frac{d}{dt} \int_V \underline{dV n \vec{v}_i} = \frac{m_i}{m_i + m_e} \left(\underline{\vec{M}} + \frac{m_e}{e m_i} \frac{d\vec{I}}{dt} \right)$$

$$\frac{d}{dt} \int_V \underline{dV n \vec{v}_e} = \frac{m_i}{m_i + m_e} \left(\underline{\vec{M}} - \frac{1}{e} \frac{d\vec{I}}{dt} \right)$$



Geometry



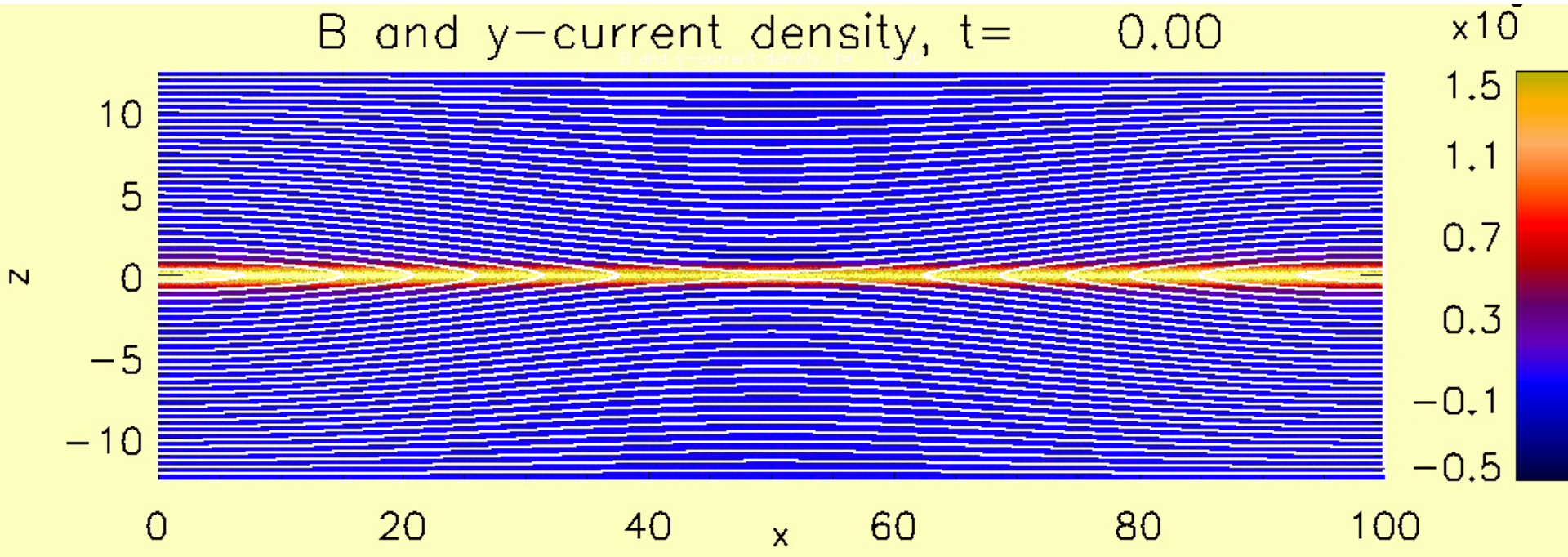


Method

- Open BC PIC simulations
- One simulation with guide field set to zero at outflow boundaries
- 1600x800 cells, 2×10^8 particles
- Inflow density $n=0.2$, $T_e=T_i$, $T_e+T_i=1/8$
- One simulation with free BC for guide field
- Constant driving with $E_y=0.2$
- $m_i/m_e=25$



$B_y=0$ Simulation

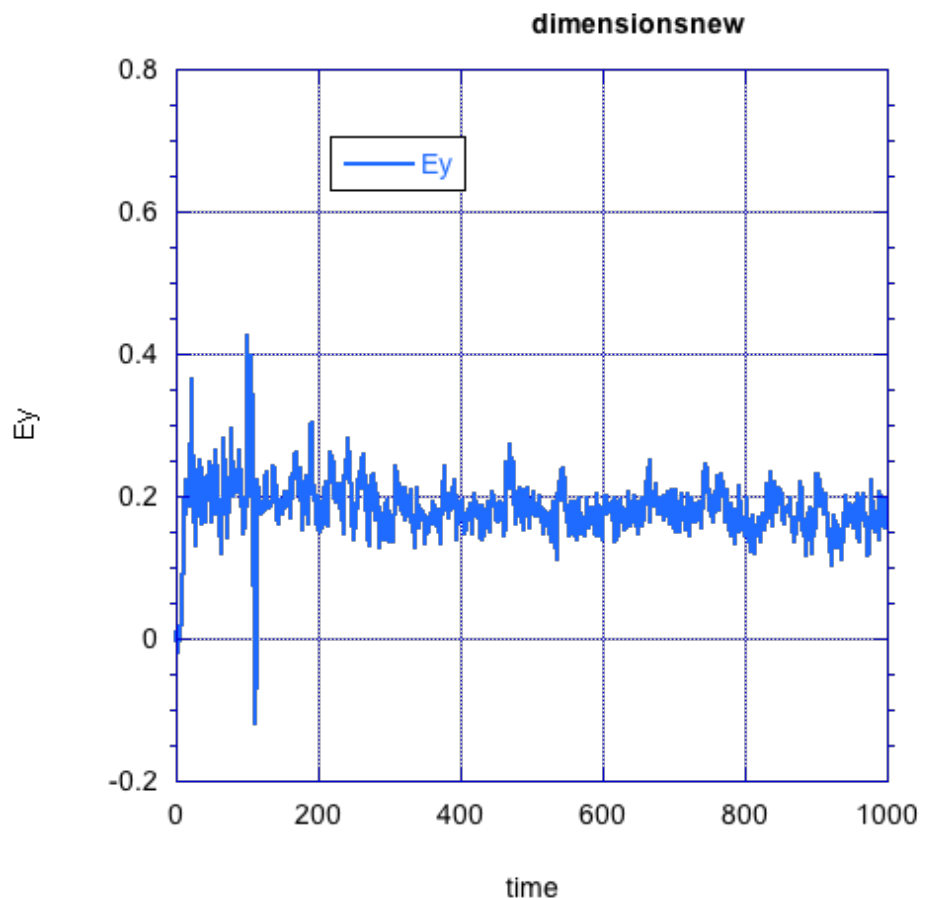
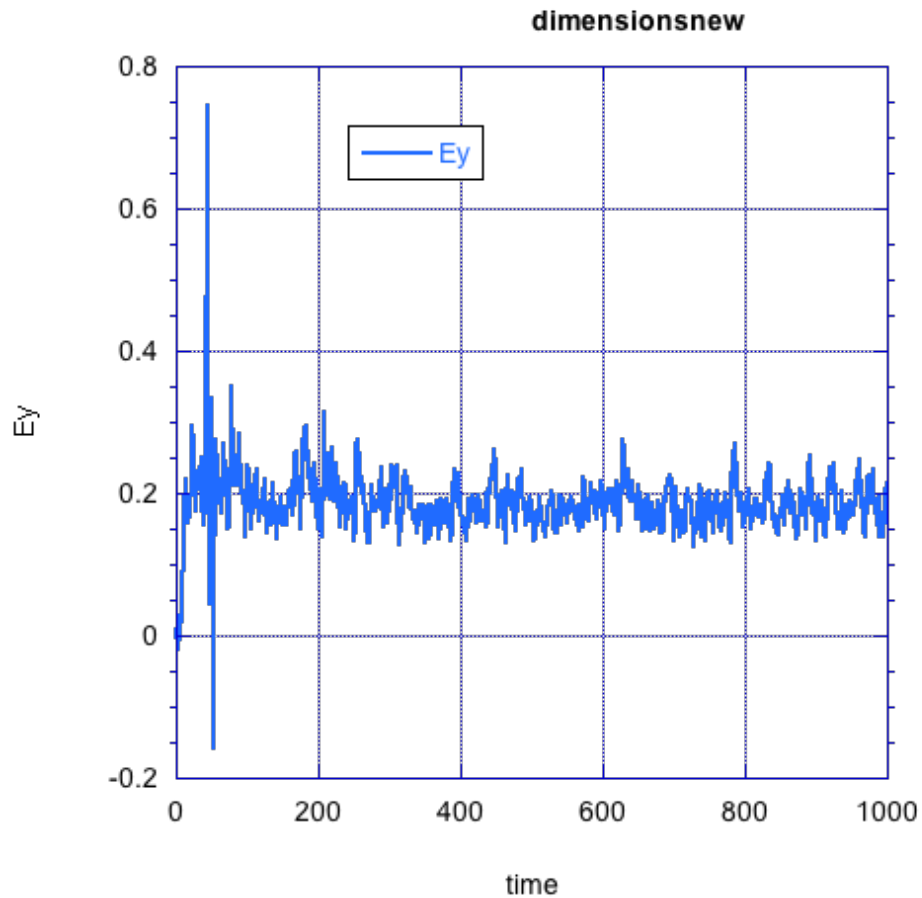




E_y Evolution

$B_y=0$

B_y finite

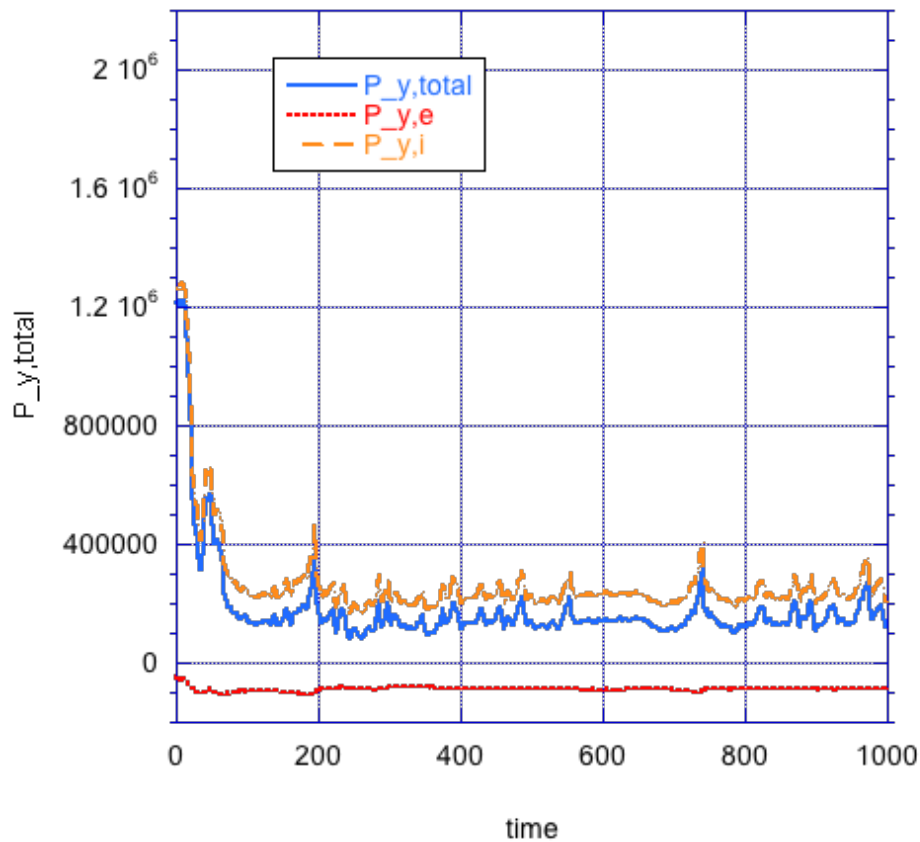




y-Momentum Evolution

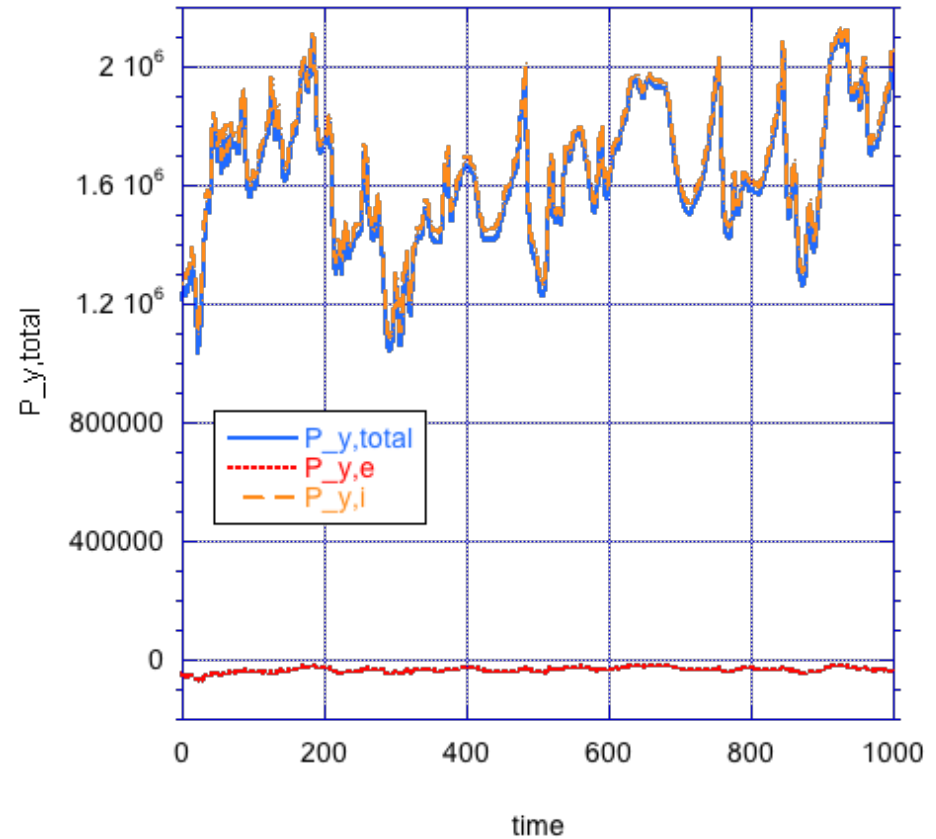
$B_y=0$

momentum



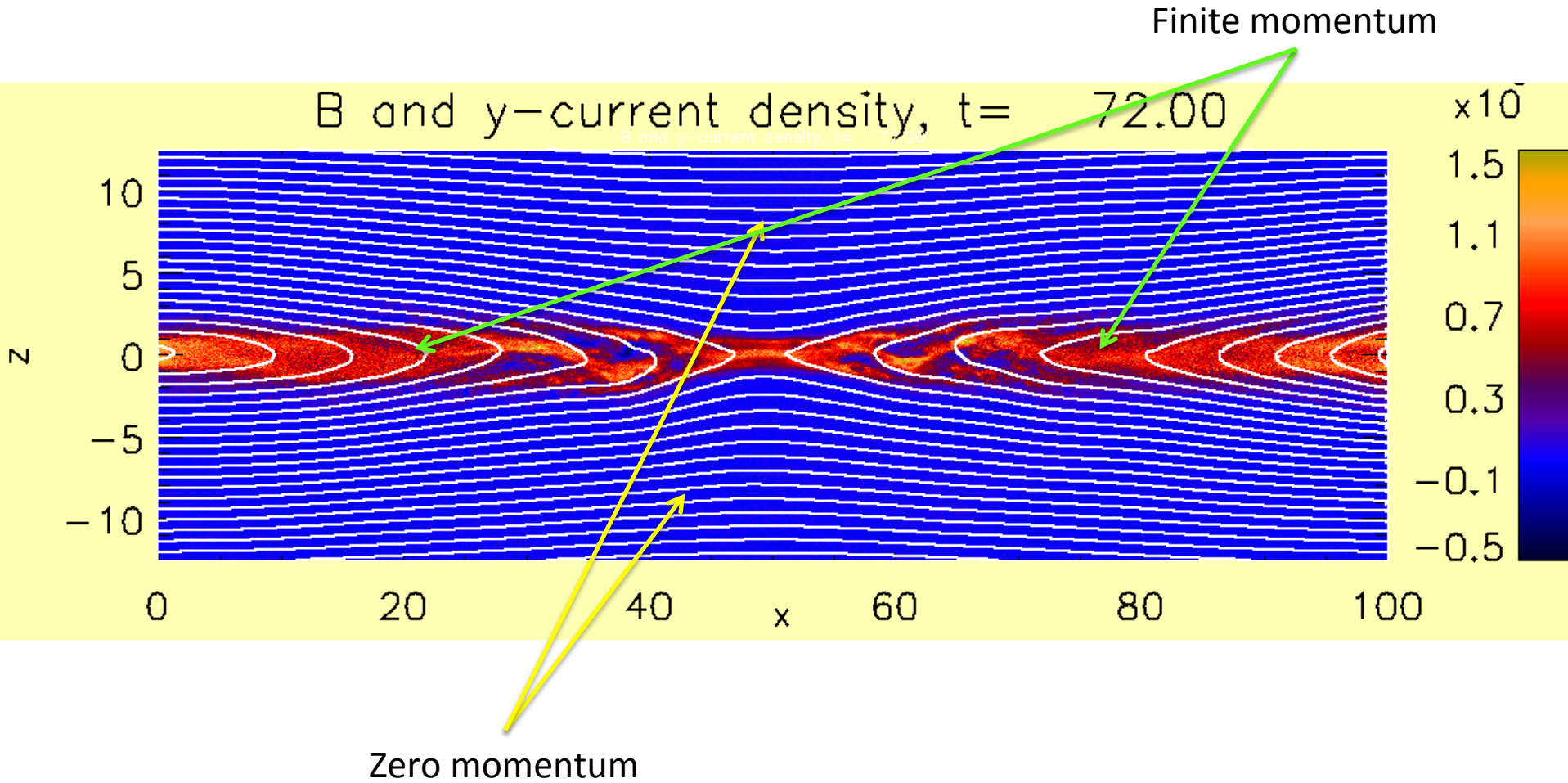
B_y finite

momentum





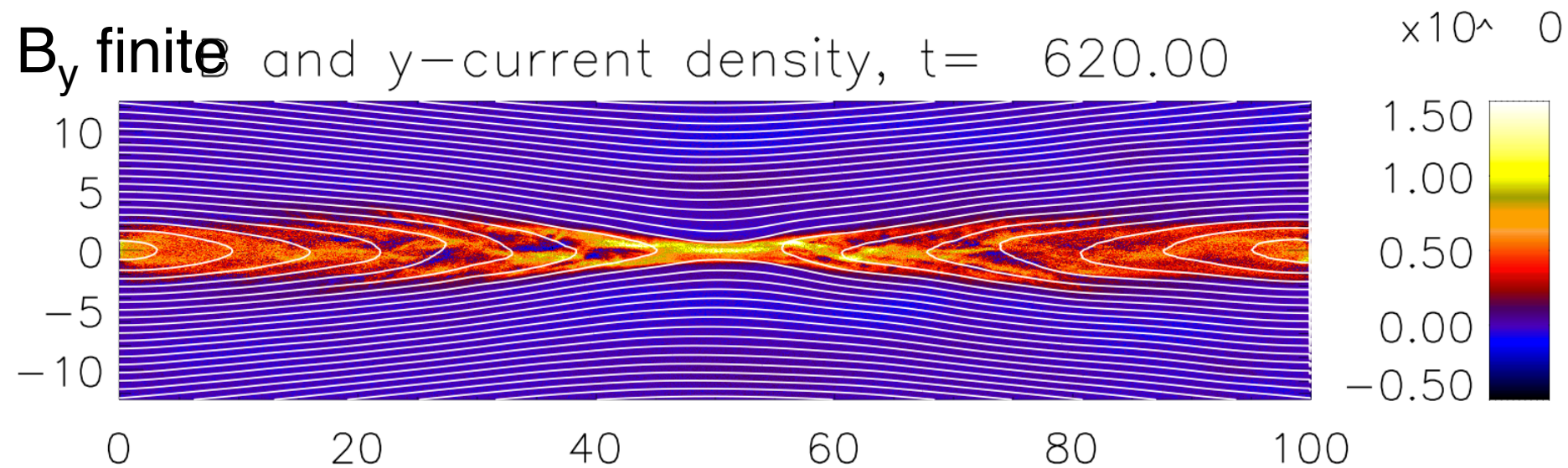
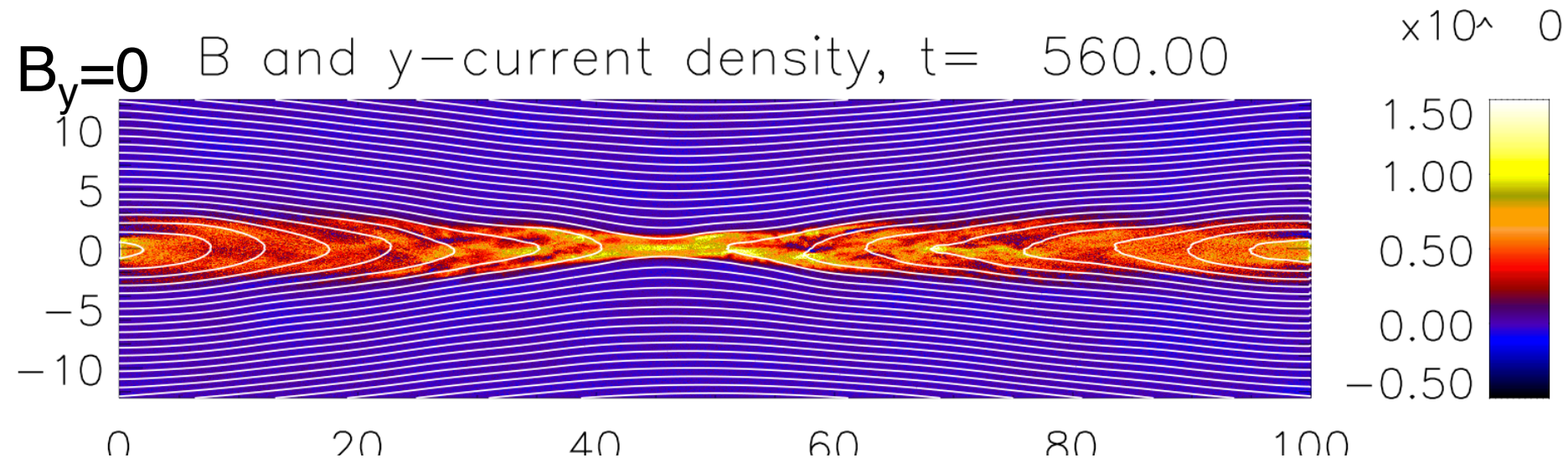
Basic Question



How?

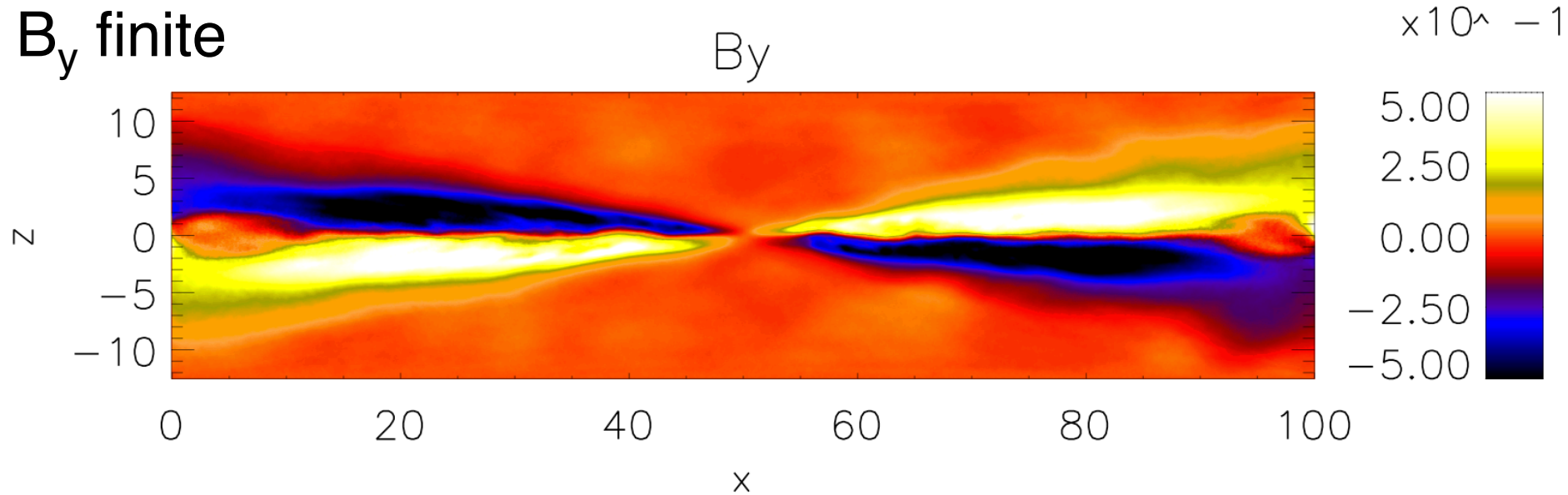
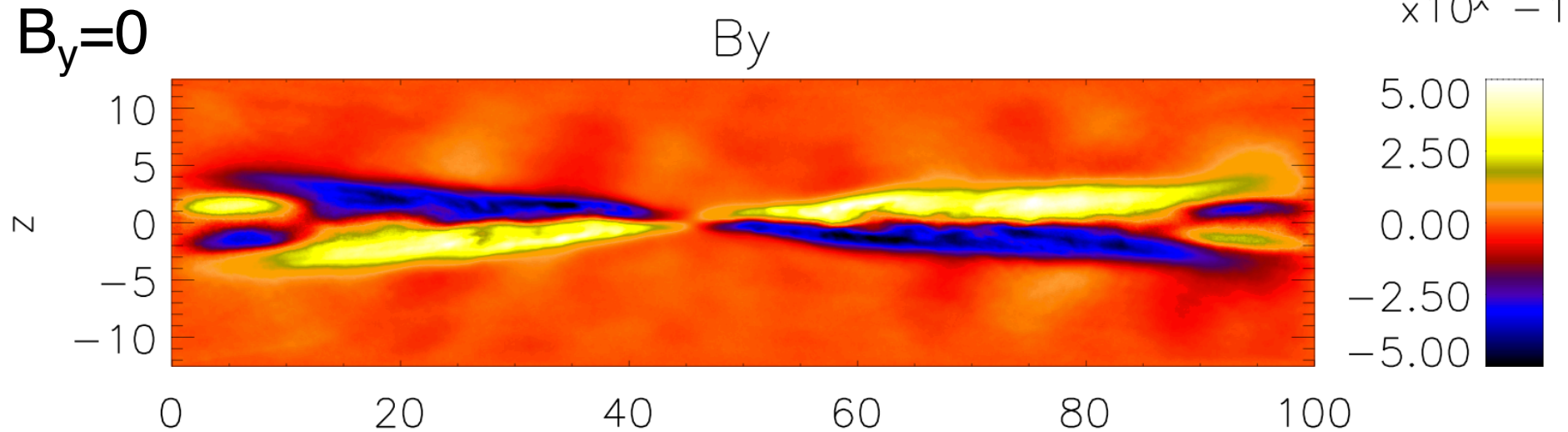


Detailed Study: Time Selection



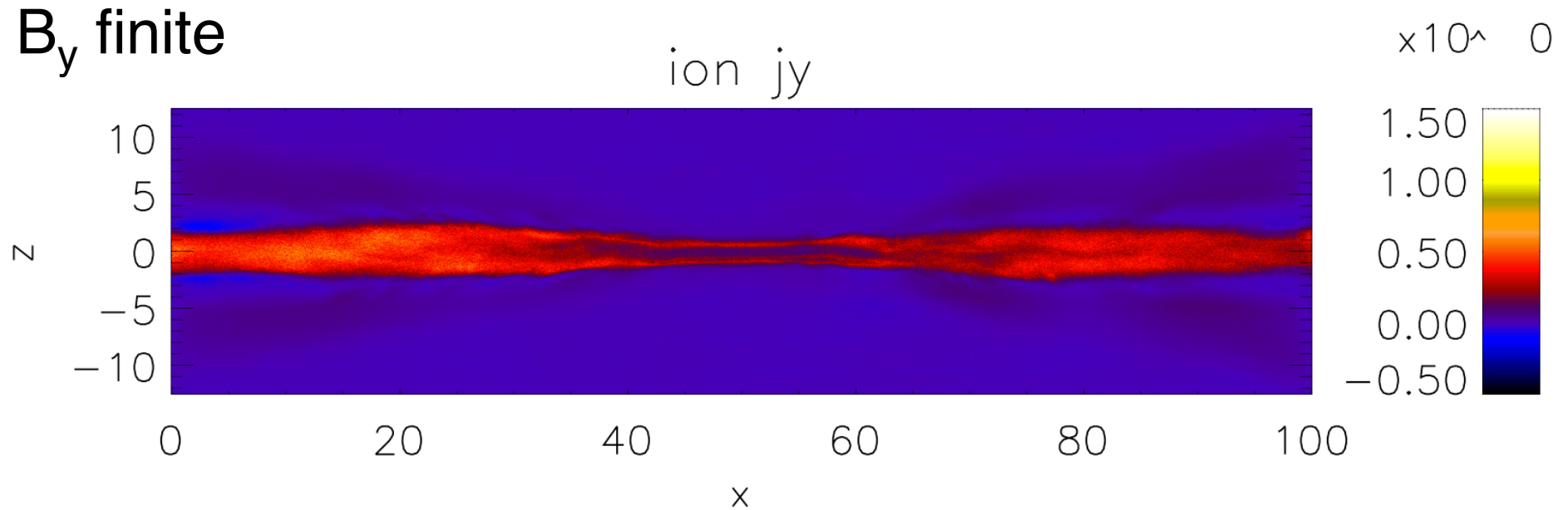
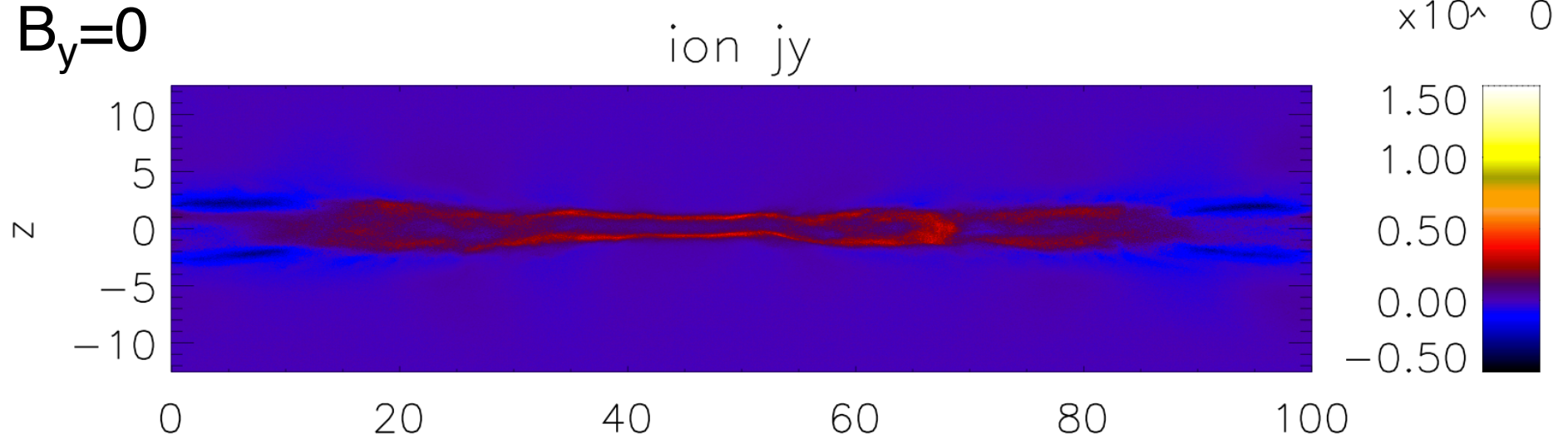


Guide Field



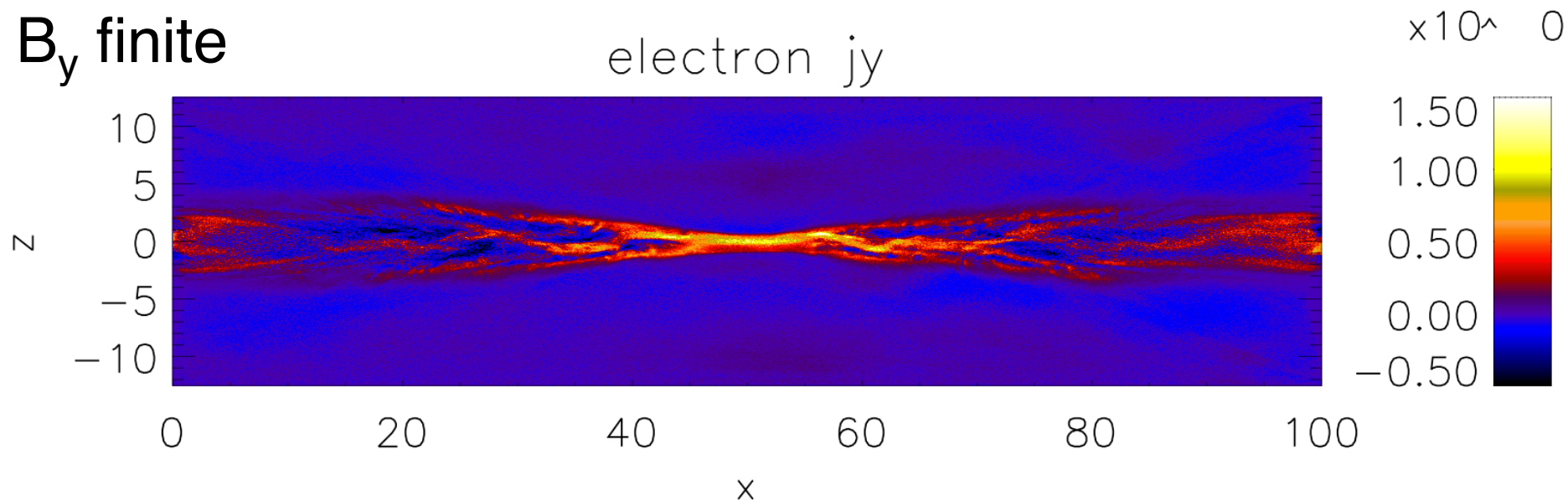
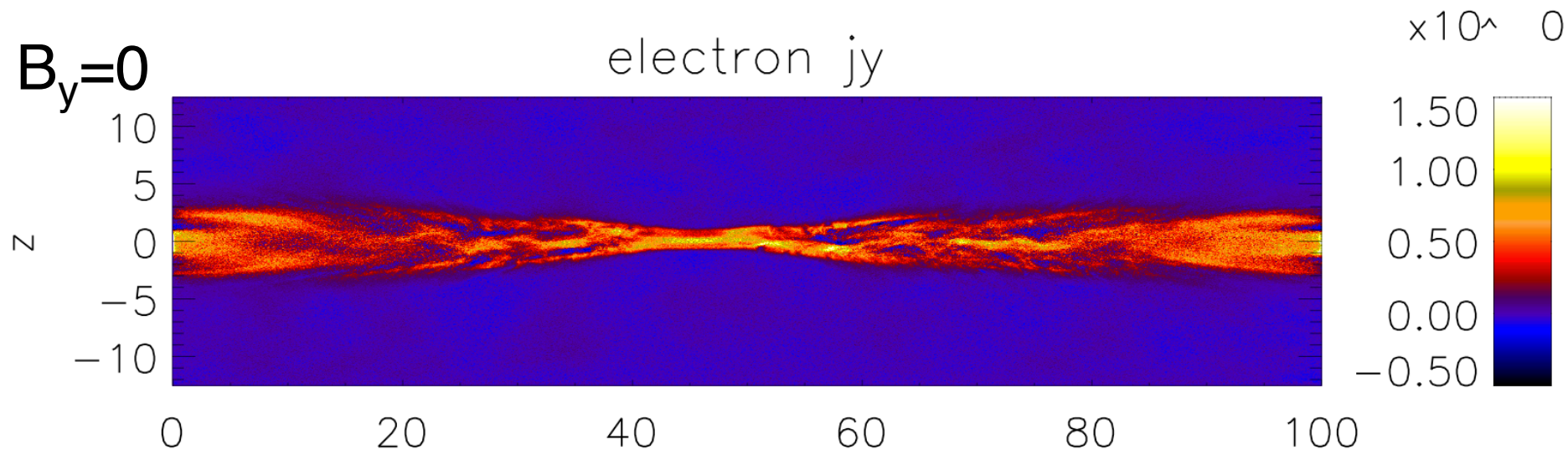


Ion Current Density



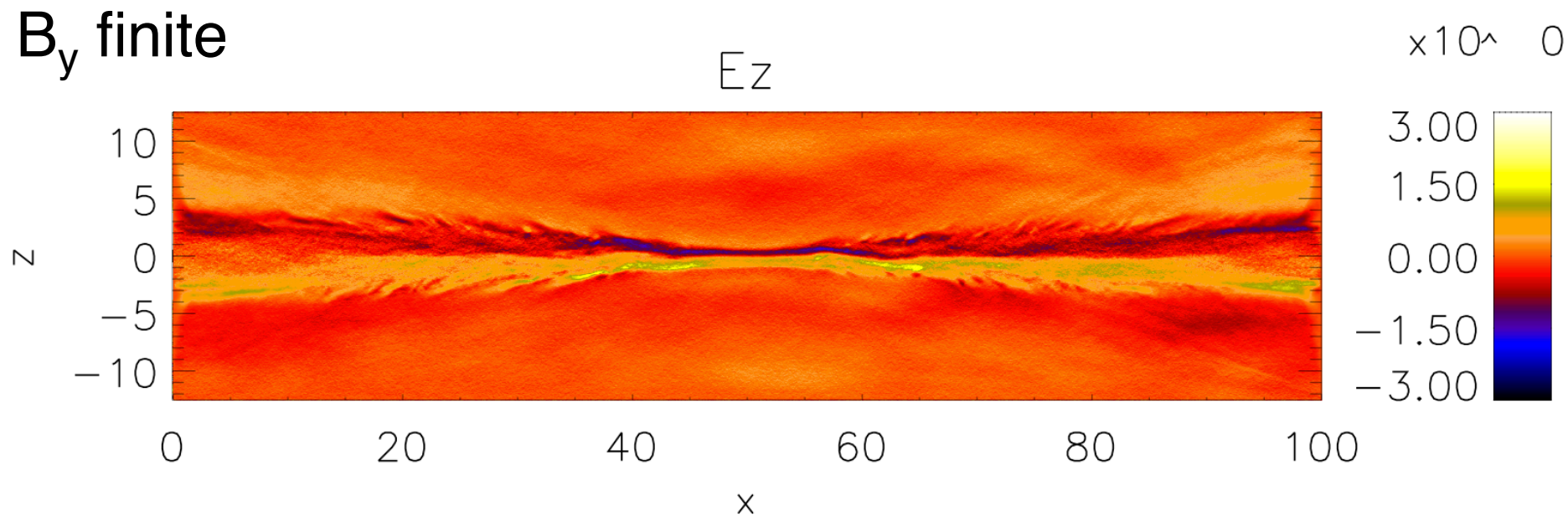
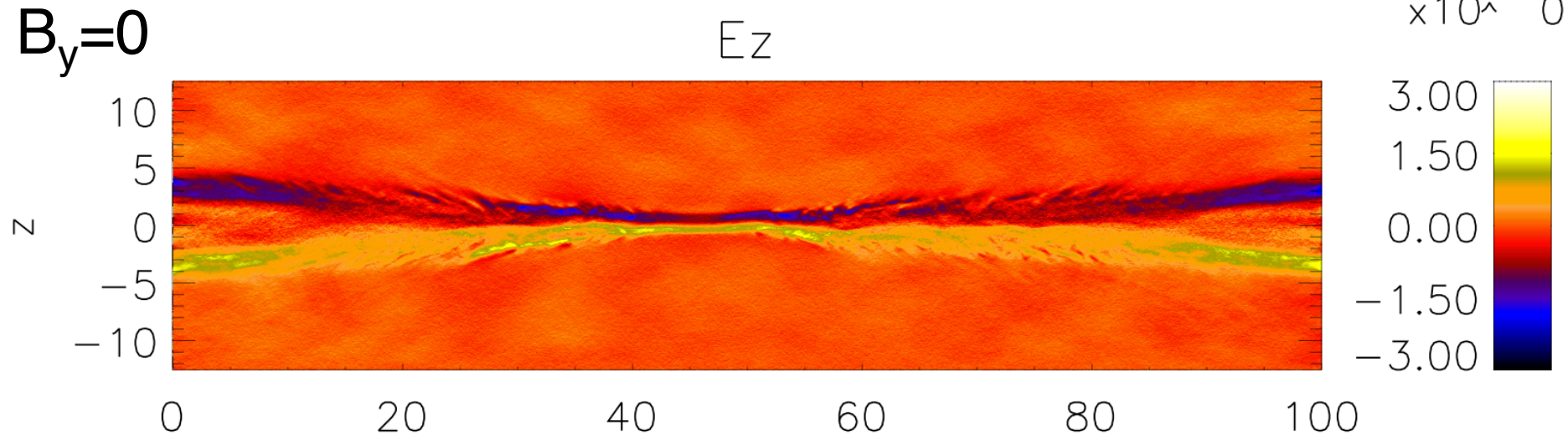


Electron Current Density





Normal Electric Field



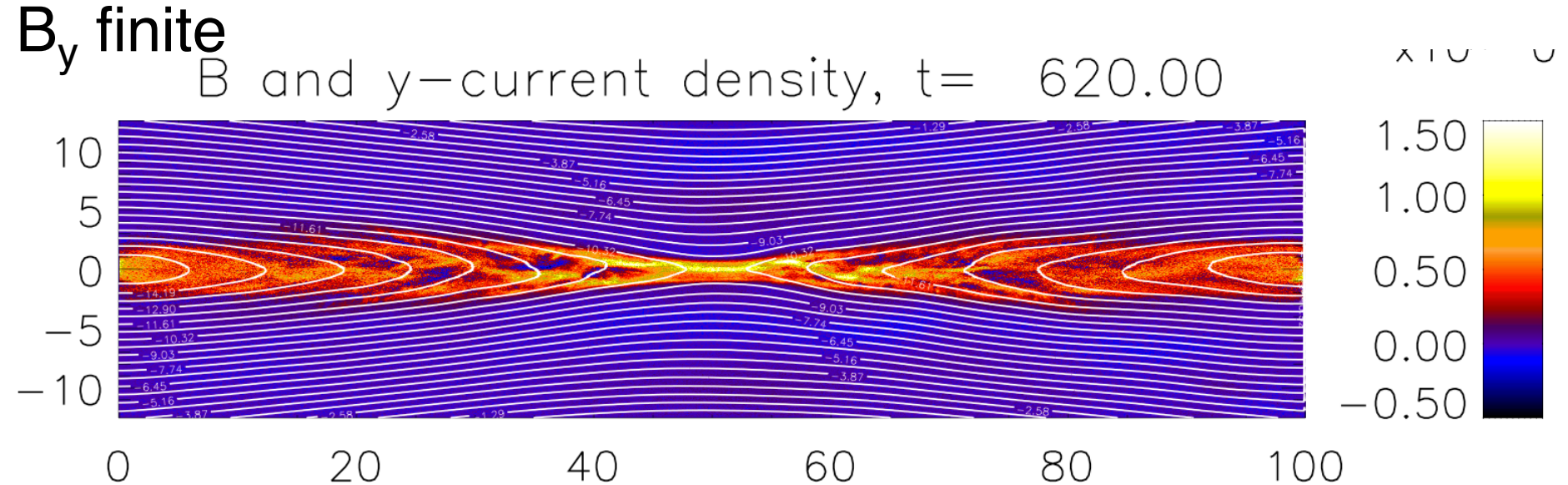
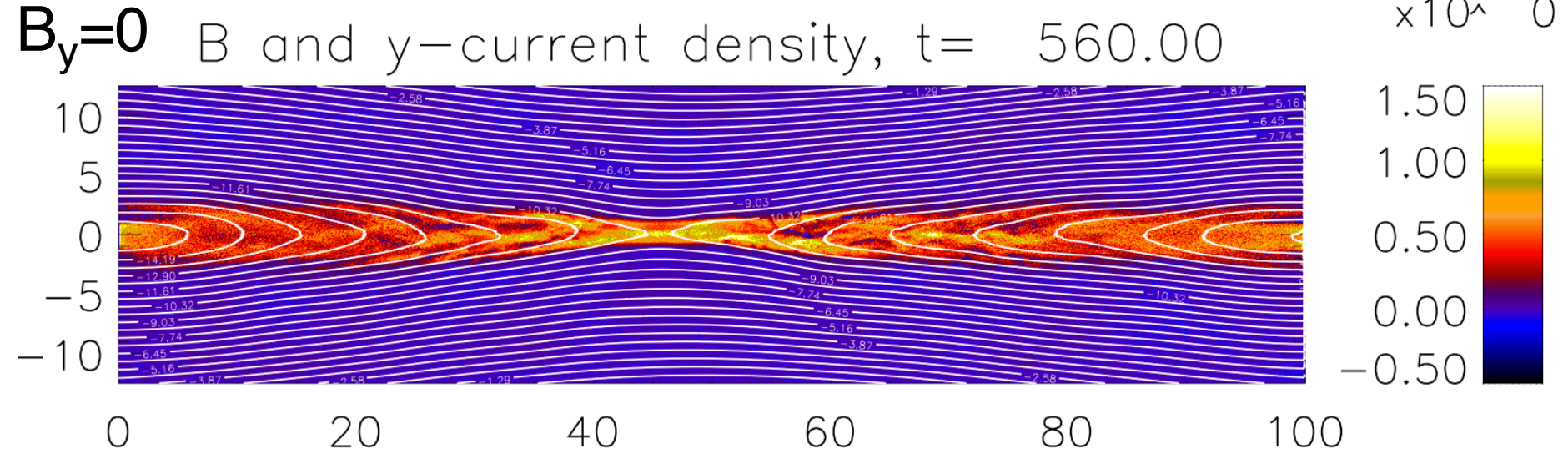


Ion Force Densities

$$\frac{\partial m_i n_i \vec{v}_i}{\partial t} + \nabla \cdot (m_i n_i \vec{v}_i \vec{v}_i) = e n_i \vec{E} + e n_i \vec{v}_i \times \vec{B} - \nabla \cdot \vec{P}_i$$



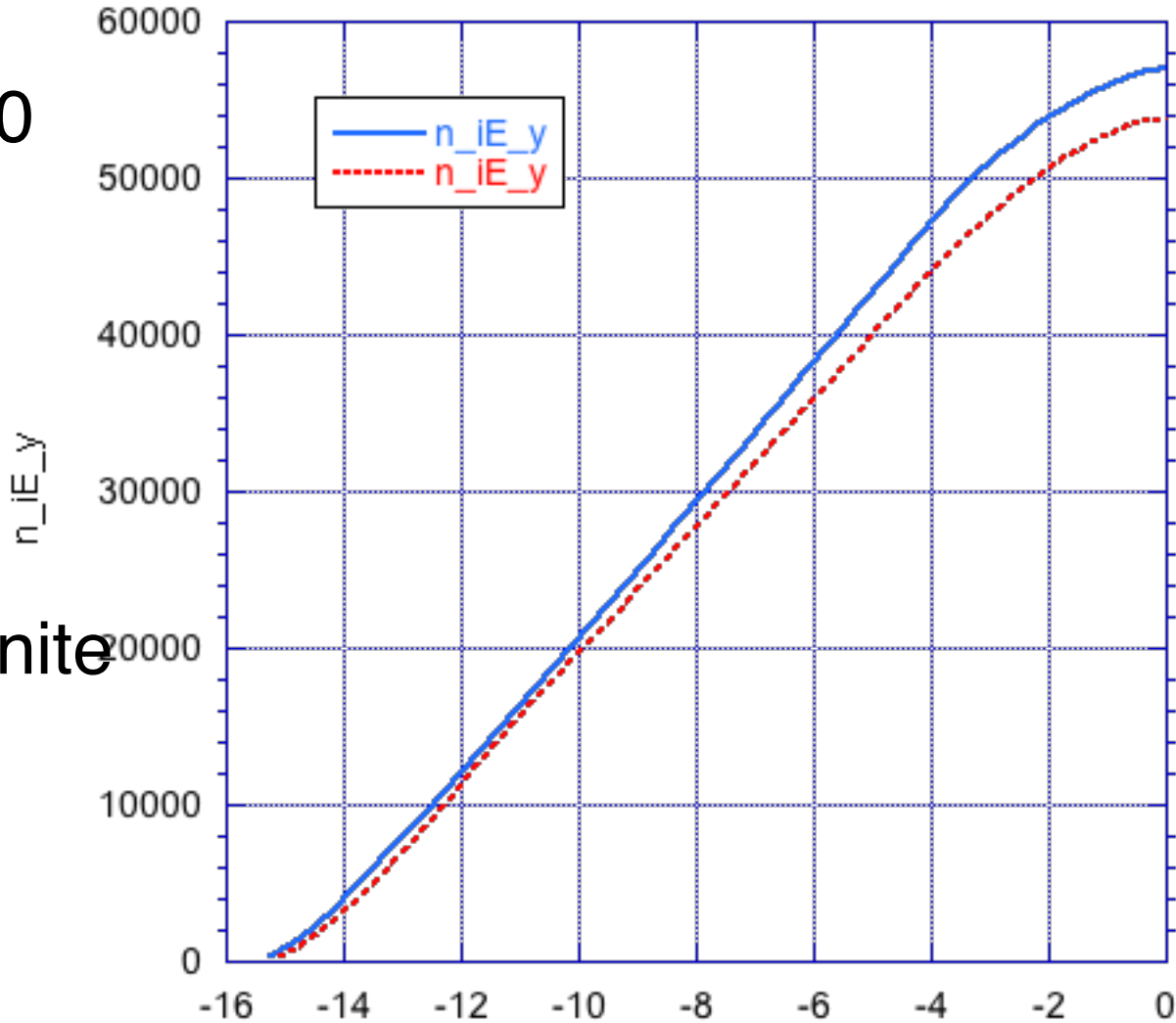
Flux Tube Integration





Electric Force Density

ionforcetotalsa_no_By



Blue: $B_y=0$

Red: B_y finite

$\max A$

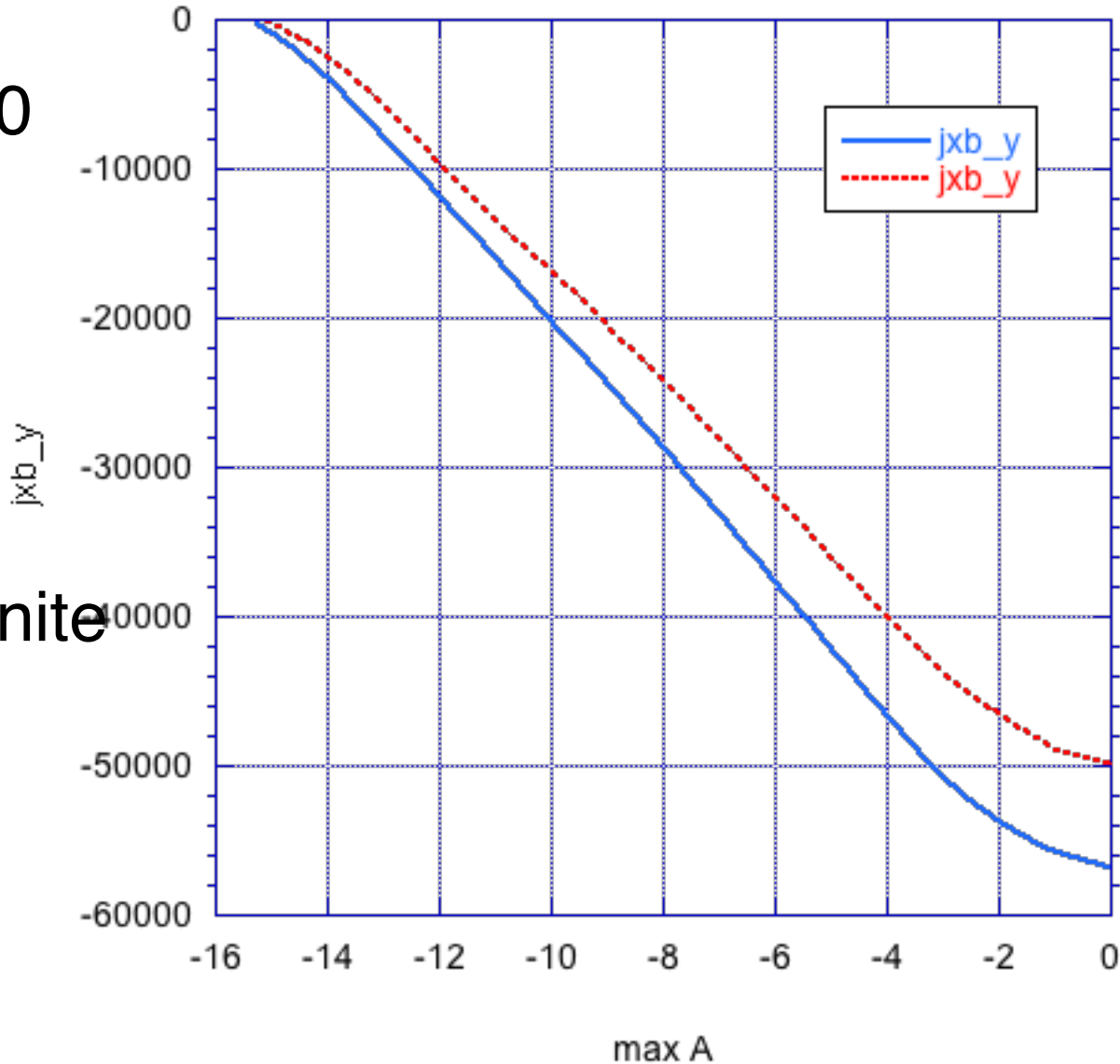


Lorentz Force

ionforcetotalsa_no_By

Blue: $B_y=0$

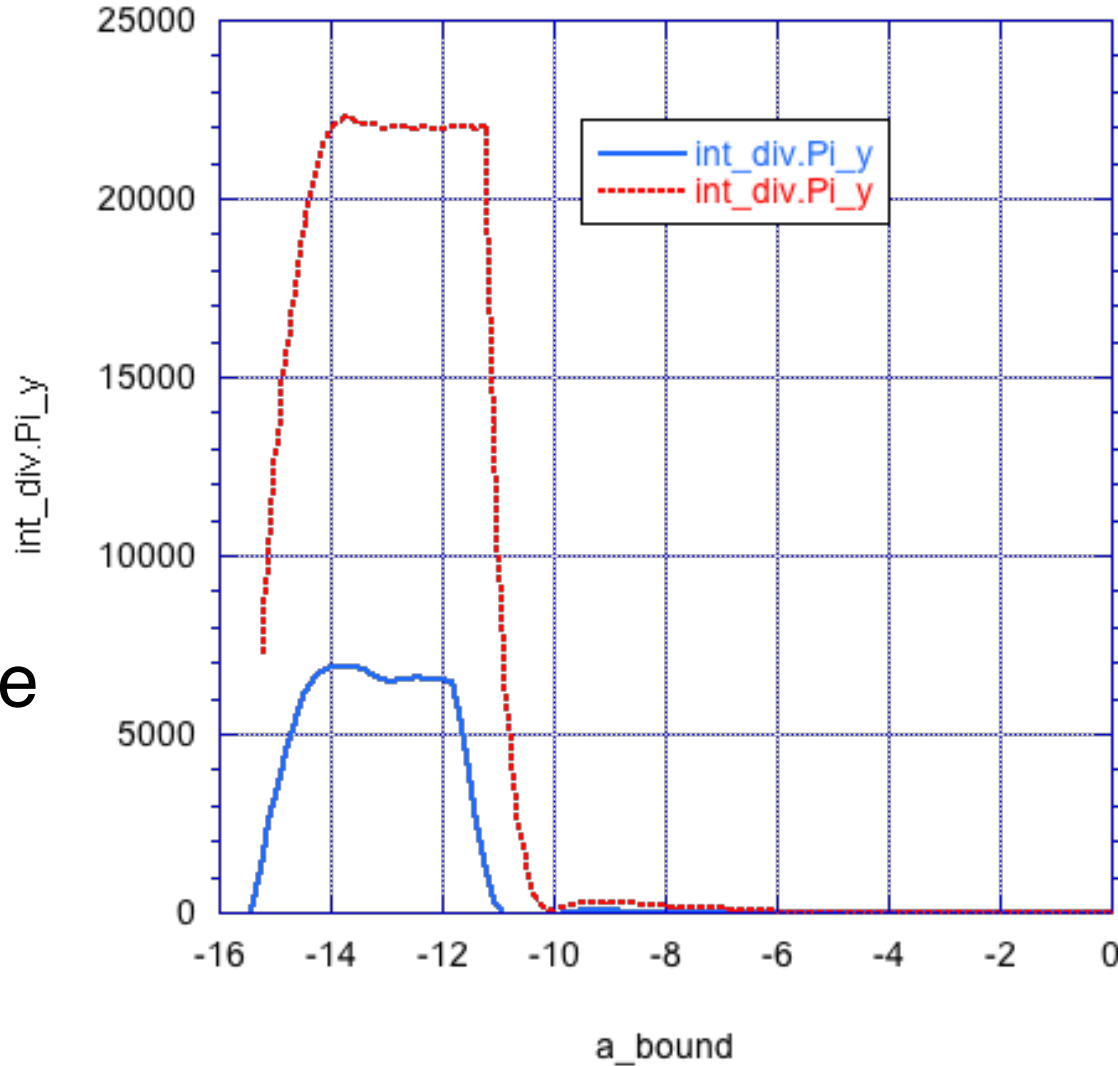
Red: B_y finite





Pressure Force Density

ionforcetotalsa_no_By



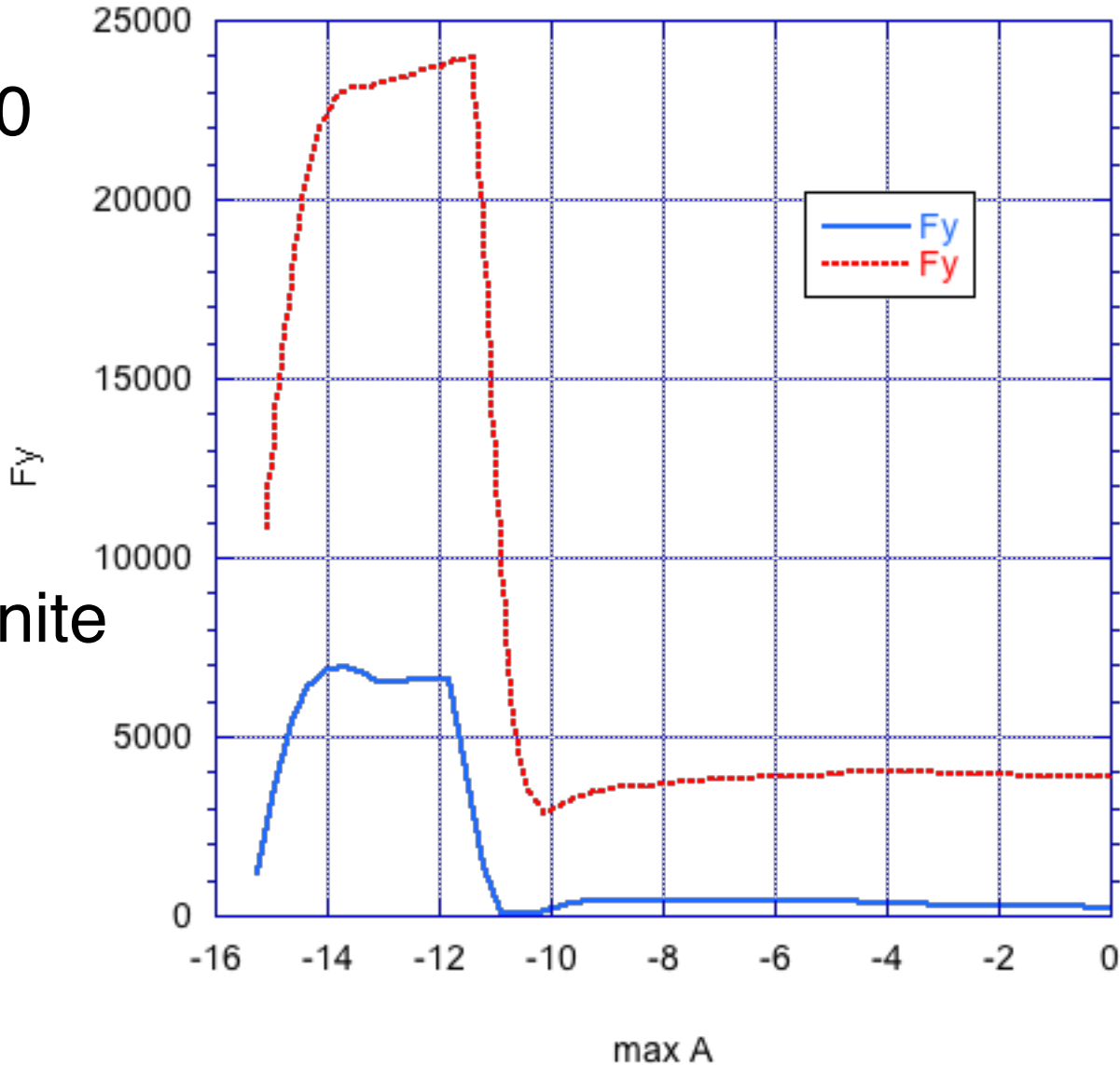
Blue: $B_y = 0$

Red: B_y finite



Total Force Density

ionforcetotalsa_no_By



Blue: $B_y=0$

Red: B_y finite

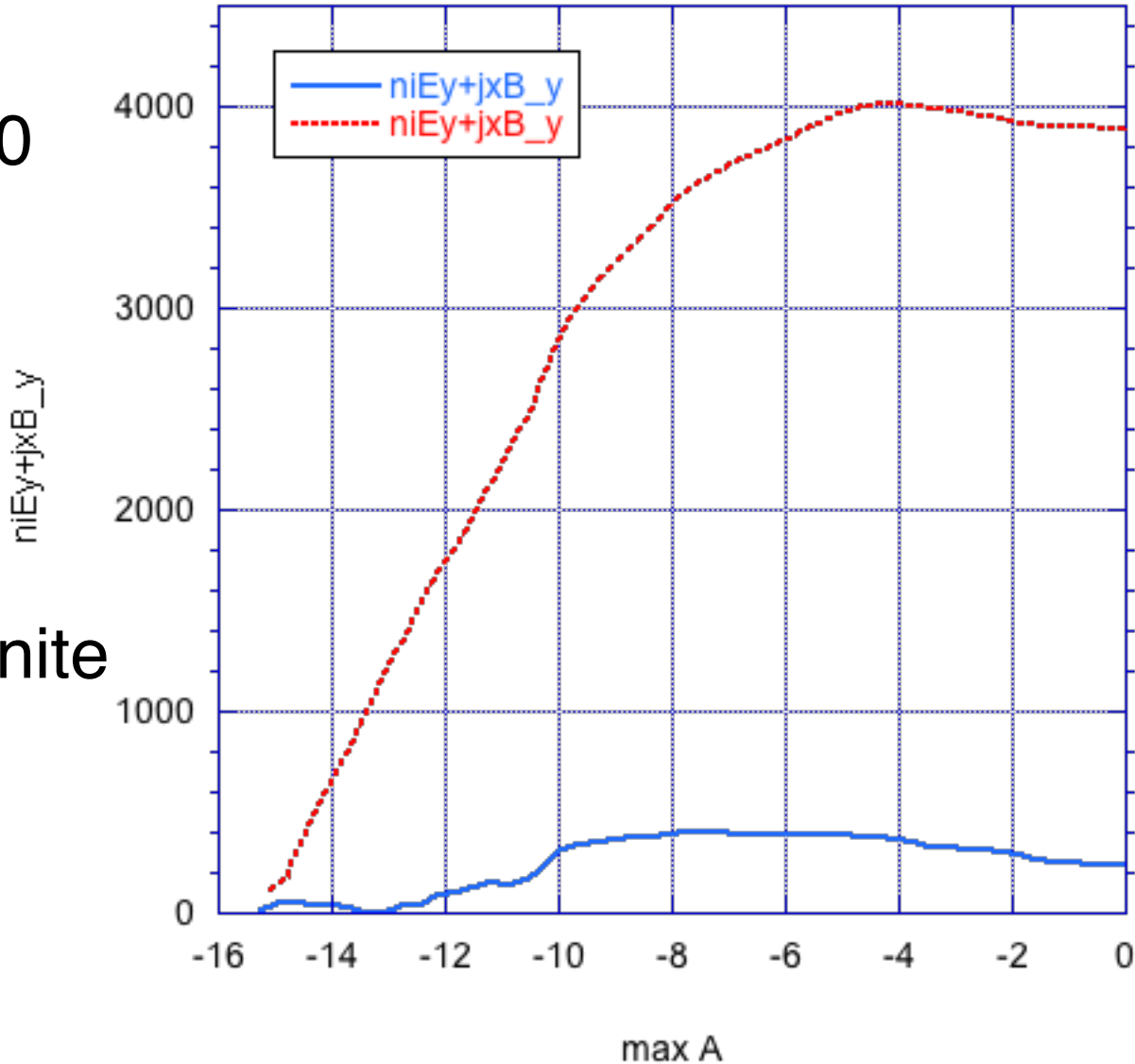


Total Relevant Force Density

ionforcetotalsa_no_By

Blue: $B_y=0$

Red: B_y finite





**Acceleration accomplished by reduction in average
Lorentz force**

Can this be understood?



Ion Current Contributions

$$\vec{j}_{i,diam} = -\frac{\nabla \cdot \vec{P}_i \times \vec{B}}{B^2}$$

diamagnetic

$$\vec{j}_{i,inertial} = \frac{m_i n_i \vec{v}_i \cdot \nabla \vec{v}_i \times \vec{B}}{B^2}$$

inertial, $\nabla \cdot \vec{v}$

$$\vec{j}_{i,ExB} = \frac{en_i \vec{E} \times \vec{B}}{B^2}$$

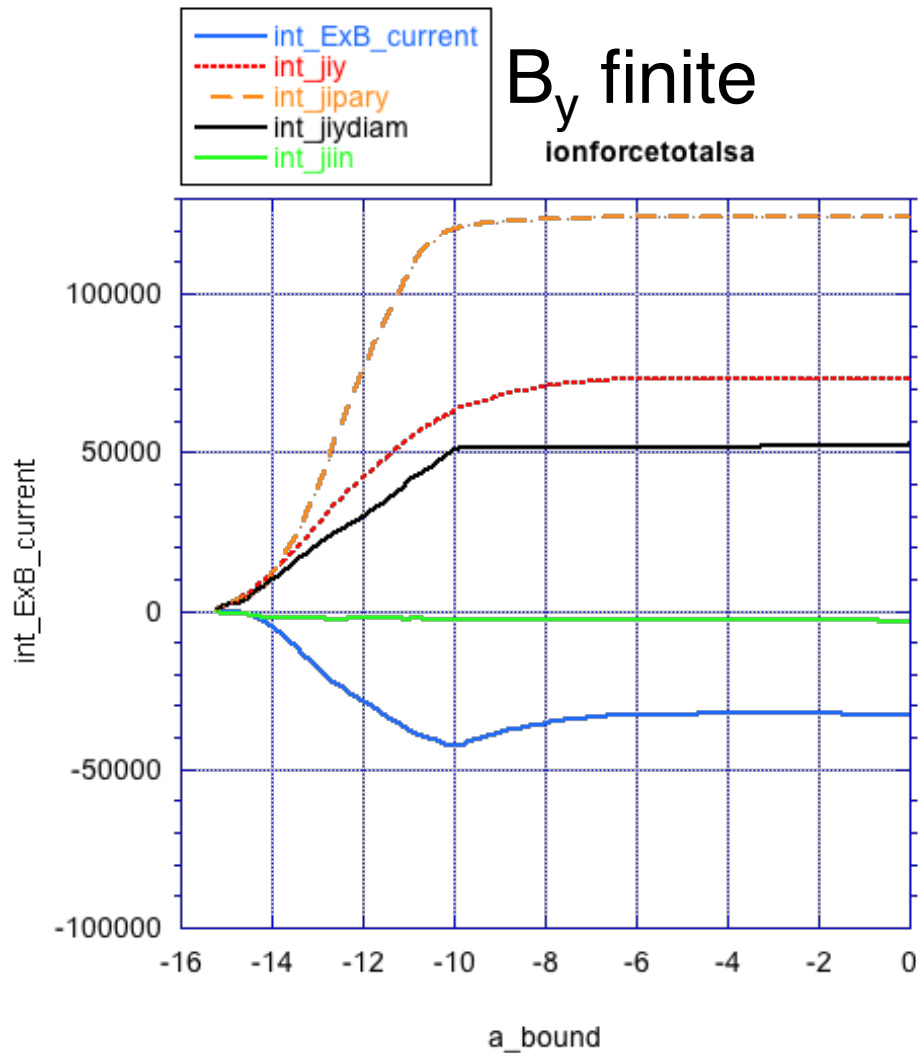
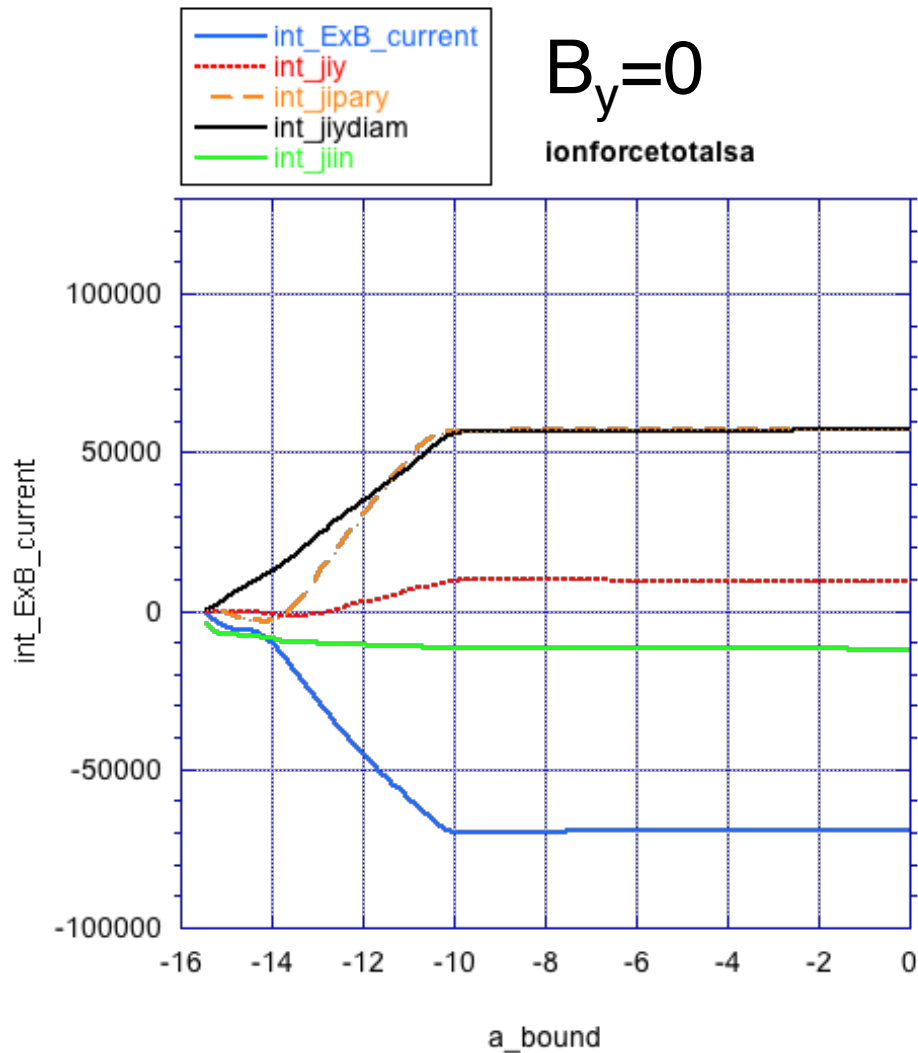
ExB

$$\vec{j}_{i,\parallel}$$

parallel

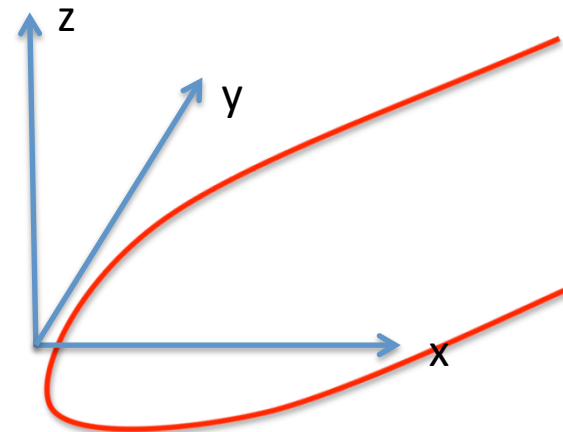
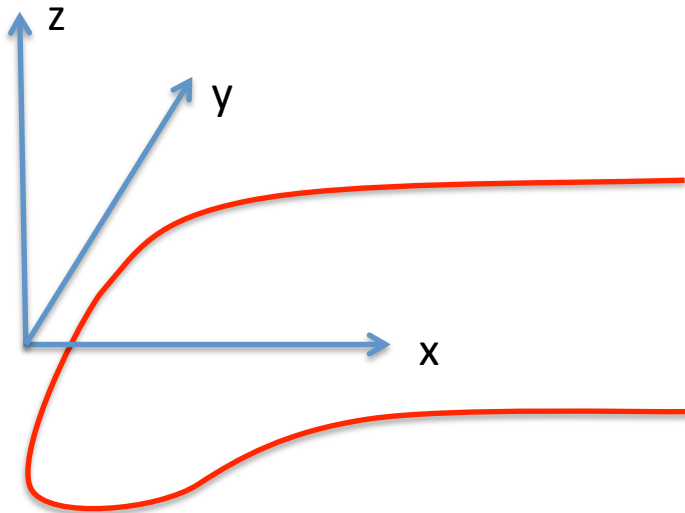
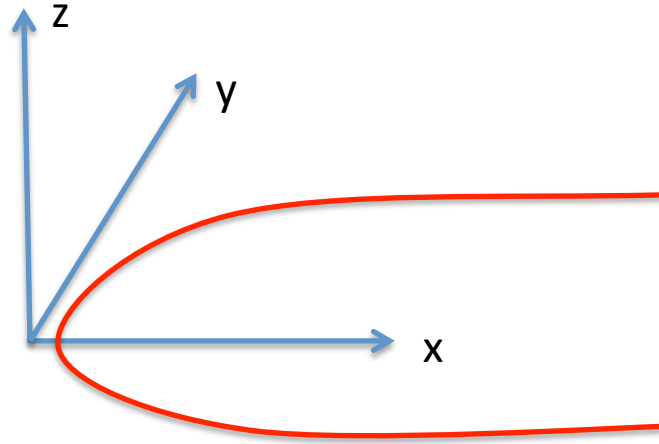


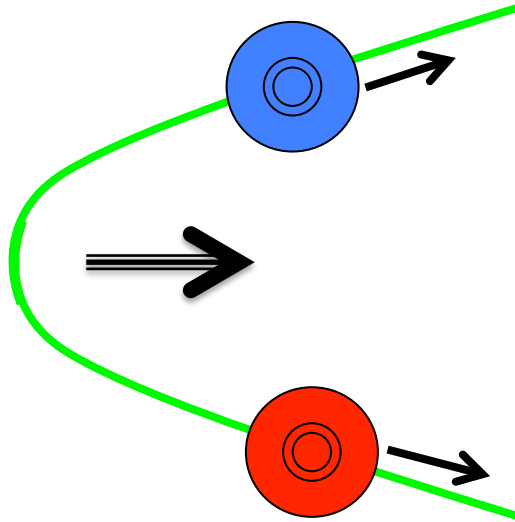
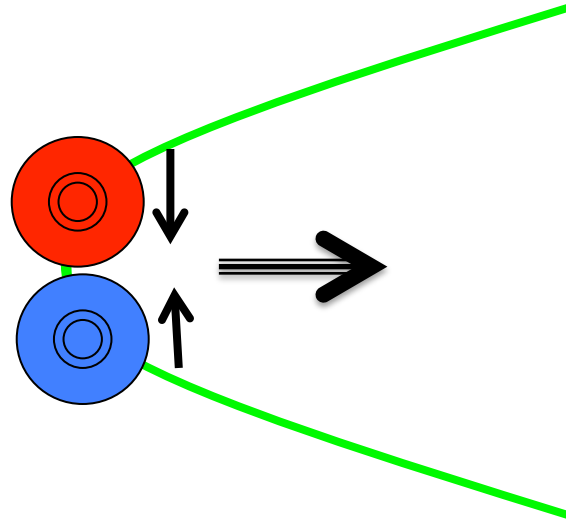
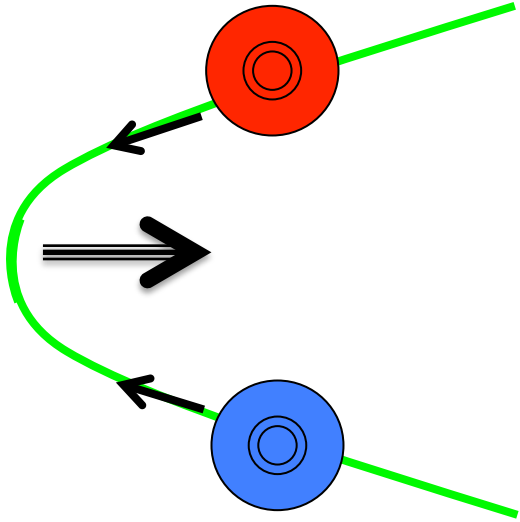
Total Current Contributions





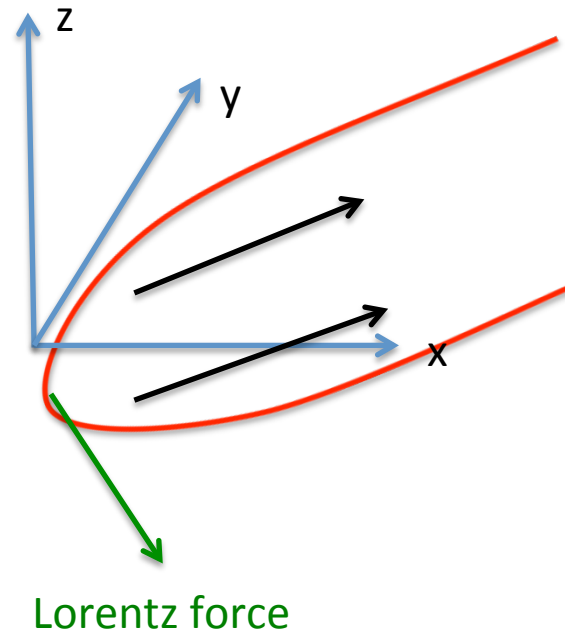
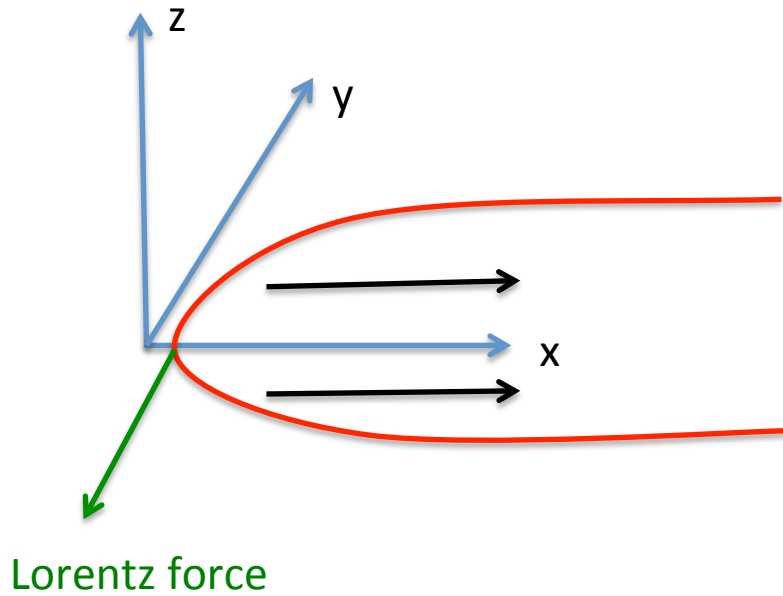
Geometry Effect on Outflow







Geometry Effect on Outflow





Summary

- Geometric constraints on the outflow jet have
 - no effect on the reconnection rate
 - a substantial effect on the momentum distribution within the jet
- Ion momentum is determined primarily by
 - the strength of the normal electric field
 - the magnetic geometry
- Momentum distribution in an outflow jet remote sensing effect of the overall geometry



Final Words

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